## Co-guiding Net: Achieving Mutual Guidance between Multiple Intent Detection and Slot Filling via Heterogeneous Semantics-Label Graphs

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### **NATURAL LANGUAGE PROCESSING**



- 1.Introduction
- 2.Method
- 3. Experiments











### Introduction

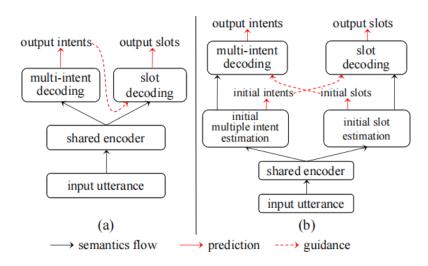
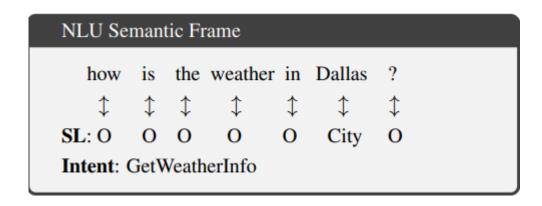


Figure 1: (a) Previous framework which only models the unidirectional guidance from multi-intent predictions to slot filling. (b) Our framework which models the mutual guidances between the two tasks.



- only model the unidirectional guidance from intent to slot
- adopt homogeneous graphs to model the interactions between the slot semantics nodes and intent label nodes

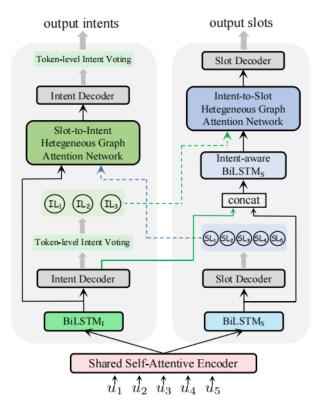


Figure 5: The architecture of Co-guiding Net. Each HGAT is triggered by its own task's semantics and the counterpart's predict labels. The green and blue dashed arrow lines denote the projected label representations from the predicted intents and slots, respectively. The green solid arrow line denotes the intent distribution generated by the Intent Decoder at the first stage.

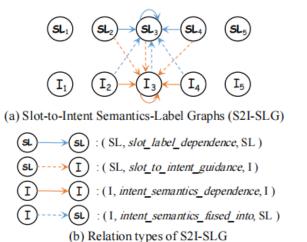


Figure 3: The illustration of S2I-SLG and its relation types. w.l.o.g, only the edges directed into  $SL_3$  and  $I_3$  are shown, and the local window size is 1.

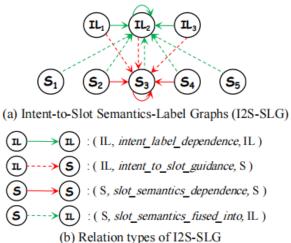
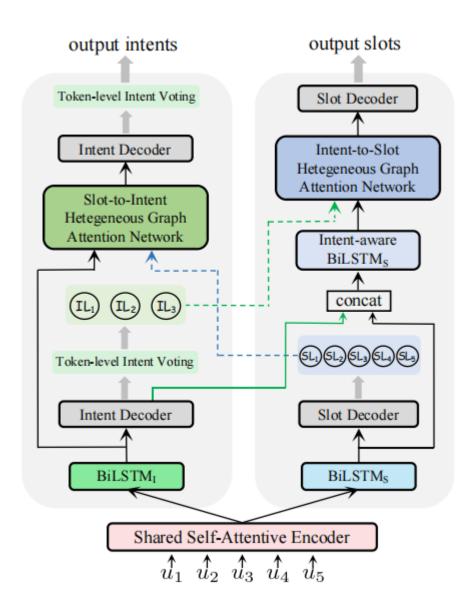


Figure 4: The illustration of I2G-SLG and its relation types. w.l.o.g, only the edges directed into  $IL_3$  and  $S_3$  are shown, and the local window size is 1.



#### **Shared Self-Attentive Encoder**

$$h_i = \text{BiLSTM}\left(x_i, h_{i-1}, h_{i+1}\right) \tag{1}$$

$$H' = \operatorname{softmax} \left( \frac{QK^{\top}}{\sqrt{d_k}} \right) V$$
 (2)

$$H = \hat{H} \| H'$$

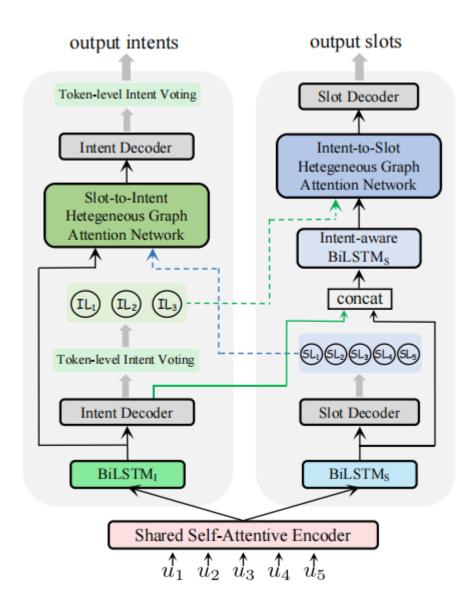
#### **Initial Estimation**

$$h_i^{[I,0]} = \text{BiLSTM}_{\text{I}} \left( h_i, h_{i-1}^{[I,0]}, h_{i+1}^{[I,0]} \right)$$
 (3)

$$y_i^{[I,0]} = \operatorname{sigmoid}\left(\boldsymbol{W}_I^1 \left(\sigma(\boldsymbol{W}_I^2 \boldsymbol{h}_i^{[I,0]} + \boldsymbol{b}_I^2)\right) + \boldsymbol{b}_I^1\right)$$
 (4)

$$h_i^{[S,0]} = \text{BiLSTM}_{\mathbf{S}}(h_i, h_{i-1}^{[S,0]}, h_{i+1}^{[S,0]})$$
 (5)

$$y_i^{[S,0]} = \operatorname{softmax}\left(\boldsymbol{W}_S^1 \left(\sigma(\boldsymbol{W}_S^2 \boldsymbol{h}_i^{[S,0]} + \boldsymbol{b}_S^2)\right) + \boldsymbol{b}_S^1\right)$$
 (6)



### **Heterogeneous Graph Attention Network**

$$h_{i}^{l+1} = \prod_{k=1}^{K} \sigma \left( \sum_{j \in \mathcal{N}_{s2i}^{i}} W_{s2i}^{[r,k,1]} \alpha_{ij}^{[r,k]} h_{j}^{l} \right), r = \phi \left( e_{s2i}^{[j,i]} \right)$$

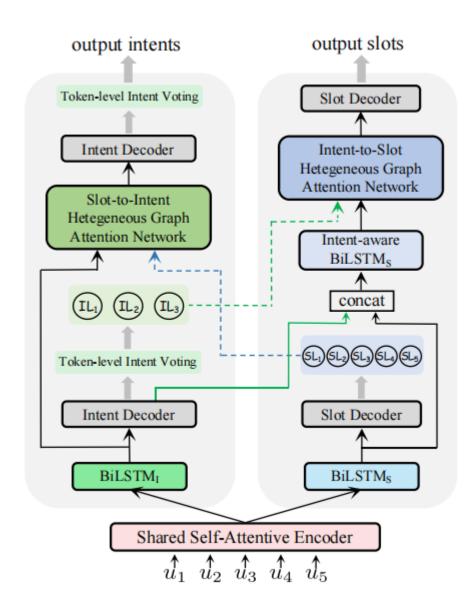
$$\alpha_{ij}^{[r,k]} = \frac{\exp \left( \left( W_{s2i}^{[r,k,2]} h_{i}^{l} \right) \left( W_{s2i}^{[r,k,3]} h_{j}^{l} \right)^{\mathsf{T}} / \sqrt{d} \right)}{\sum_{u \in \mathcal{N}_{s2i}^{r,i}} \exp \left( \left( W_{s2i}^{[r,k,2]} h_{i}^{l} \right) \left( W_{s2i}^{[r,k,3]} h_{u}^{l} \right)^{\mathsf{T}} / \sqrt{d} \right)}$$

$$(7)$$

$$H^{[I,L]} = \text{S2I-HGAT}\left([H^{[I,0]}, E_{sl}], \mathcal{G}_{s2i}, \theta_I\right)$$
(8)

$$\tilde{h}_i^{[S,0]} = \text{BiLSTM}(y_i^{[I,0]} || h_i^{[S,0]}, \tilde{h}_{i-1}^{[S,0]}, \tilde{h}_{i+1}^{[S,0]})$$
 (9)

$$H^{[S,L]} = \text{I2S-HGAT}\left([\tilde{H}^S, E_{il}], \mathcal{G}_{i2s}, \theta_S\right)$$
(10)



#### **Loss Function**

$$CE(\hat{y}, y) = \hat{y} \log(y) + (1 - \hat{y}) \log(1 - y)$$

$$\mathcal{L}_{I} = \sum_{t=0}^{1} \sum_{i=1}^{n} \sum_{j=1}^{N_{I}} CE(\hat{y}_{i}^{I}[j], y_{i}^{[I,t]}[j])$$
(11)

$$\mathcal{L}_{S} = \sum_{t=0}^{1} \sum_{i=1}^{n} \sum_{j=1}^{N_{S}} \hat{y}_{i}^{S}[j] \log \left( y_{i}^{[S,t]}[j] \right)$$
 (12)

### **Margin Penalty**

$$\mathcal{L}_{I}^{mp} = \sum_{i=1}^{n} \sum_{j=1}^{N_{I}} \hat{y}_{i}^{I}[j] \max \left(0, y_{i}^{[I,0]}[j] - y_{i}^{[I,1]}[j]\right)$$

$$\mathcal{L}_{S}^{mp} = \sum_{i=1}^{n} \sum_{j=1}^{N_{S}} \hat{y}_{i}^{S}[j] \max \left(0, y_{i}^{[S,0]}[j] - y_{i}^{[S,1]}[j]\right)$$
(13)

$$\mathcal{L} = \gamma \left( \mathcal{L}_I + \beta_I \mathcal{L}_I^{mp} \right) + (1 - \gamma) \left( \mathcal{L}_S + \beta_S \mathcal{L}_S^{mp} \right) \tag{14}$$

# **Experiment**

Models	MixATIS			MixSNIPS		
Models	Overall(Acc)	Slot (F1)	Intent(Acc)	Overall(Acc)	Slot(F1)	Intent(Acc)
Attention BiRNN (Liu and Lane, 2016)	39.1	86.4	74.6	59.5	89.4	95.4
Slot-Gated (Goo et al., 2018)	35.5	87.7	63.9	55.4	87.9	94.6
Bi-Model (Wang et al., 2018)	34.4	83.9	70.3	63.4	90.7	95.6
SF-ID (E et al., 2019)	34.9	87.4	66.2	59.9	90.6	95.0
Stack-Propagation (Qin et al., 2019)	40.1	87.8	72.1	72.9	94.2	96.0
Joint Multiple ID-SF (Gangadharaiah and Narayanaswamy, 2019)	36.1	84.6	73.4	62.9	90.6	95.1
AGIF (Qin et al., 2020)	40.8	86.7	74.4	74.2	94.2	95.1
GL-GIN (Qin et al., 2021b)	43.0	88.2	76.3	73.7	94.0	95.7
Co-guiding Net (ours)	51.3 <sup>†</sup>	89.8 <sup>†</sup>	79.1 <sup>†</sup>	77.5 <sup>†</sup>	95.1 <sup>†</sup>	97.7 <sup>†</sup>

Table 1: Results comparison.  $^{\dagger}$  denotes our model significantly outperforms baselines with p < 0.01 under t-test.

# **Experiment**

Models	MixATIS			MixSNIPS			
	Overall(Acc)	Slot (F1)	Intent(Acc)	Overall(Acc)	Slot(F1)	Intent(Acc)	
Co-guiding Net	51.3	89.8	79.1	77.5	95.1	97.7	
w/o S2I-guidance	47.7 (\13.6)	88.8 (\1.0)	77.1 (\12.0)	76.6 (\\dagger{0.9})	94.7 (\\d)0.4)	96.9 (\\$\d\ 0.8)	
w/o I2S-guidance	47.7 (\13.6)	88.7 (\1.1)	77.5 (\1.6)	76.5 (\1.0)	94.9 (\( \psi 0.2 )	97.5 (\dagger 0.2)	
w/o relations	46.0 (\$\dagger\$5.3)	88.3 (\1.5)	77.8 (\1.3)	76.3 (\1.2)	94.7 (\( \psi 0.5 )	97.2 (\dagger 0.4)	
+ Local Slot-aware GAT	51.1 (\psi 0.2)	89.4 (\( \dagger 0.4 )	79.0 (\\dagger{0.1})	75.9 (\1.6)	94.7 (\\dagger{0.4})	96.4 (\1.4)	

Table 2: Results of ablation experiments.

## **Experiment**

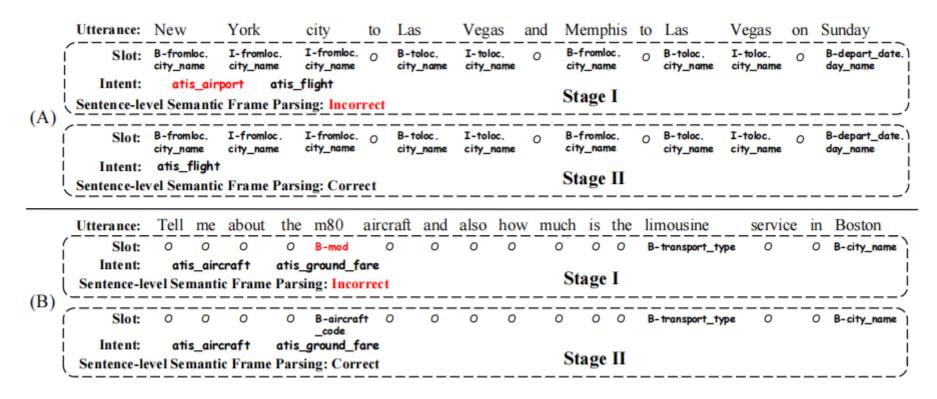


Figure 6: Case study of slot-to-intent guidance (A) and intent-to-slot guidance (B). Red color denotes error.

# Thank you!







